

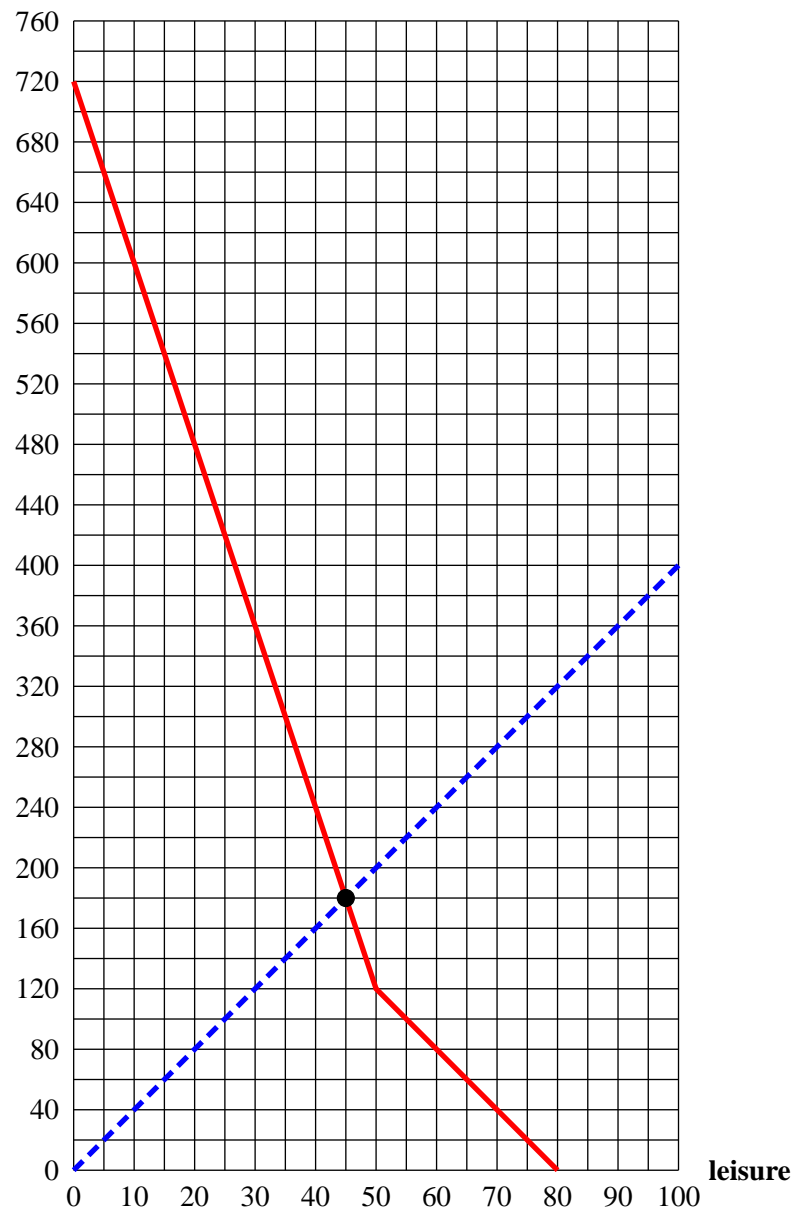
**Question 1**

- (a)  $C + 4P = 1,200$ . The MRS must be equal to the slope of the budget line, i.e.,  $-P^2/C^2 = -1/4$ . Therefore  $4P^2 = C^2$ , i.e.,  $2P = C$ . Thus,  $C = 400$  and  $P = 200$ .
- (b)  $C + 9P = 2,700$ . The MRS must be equal to the slope of the budget line, i.e.,  $-P^2/C^2 = -1/9$ . Therefore  $9P^2 = C^2$ , i.e.,  $3P = C$ . Thus,  $P = 225$ . Her consumption therefore **increases by 25 units**.

**Question 2**

- (a) The budget line equation is  $4R + c = 320$ . Since  $4R = c$ , it follows that  $R = 40$ . Therefore she **works 40 hours**.
- (b) The budget line equation is  $8R + c = 640$ . Since  $4R = c$ , it follows that  $R = 53.33$ . Therefore she **works 27.67 hours**.
- (c)

**consumption**



**(d)** Mary will therefore work 35 hours.

### Question 3

- (a) The equation of the budget line is  $1.15c_1 + c_2 = 21,850$ . At the optimal choice  $-c_2/(0.9c_1) = -1.15$ . Thus,  $c_2 = 1.035c_1$ . Inserting this in the budget line equation yields  $c_1 = 10,000$  and  $c_2 = 10,350$ .
- (b) He will borrow 8000 Dollars.
- (c) The answer will change. He will borrow 1,000 Dollars.

**Question 4** (a) The expected utility without the lock is  $0.1\sqrt{600} + 0.9\sqrt{1,000} = 30.90999$ . The expected utility with the lock is  $0.04\sqrt{570} + 0.96\sqrt{970} = 30.85401$ . Therefore he will not purchase the lock.

(b) Let  $p$  be the probability. Then the expected utility with the lock is  $p\sqrt{570} + (1-p)\sqrt{970} = 30.90999 = 0.1\sqrt{600} + 0.9\sqrt{1,000}$ . Therefore  $p = 0.0323$ , which is about  $1/31$ .

(c) Without insurance, expected utility is again  $0.1\sqrt{600} + 0.9\sqrt{1,000} = 30.90999$ . With the insurance, it is  $\sqrt{950} = 30.822$ . Therefore you should not purchase the insurance.

(d) Without the lock expected utility is  $0.1\sqrt{950} + 0.9\sqrt{990} = 31.400$ . With the lock expected utility is  $0.04\sqrt{946} + 0.96\sqrt{986} = 31.374$ . Therefore you should not get the lock.

**Question 5** If he buys  $y$  shares then  $c_u = 10,000 + 2y$  and  $c_d = 10,000 - y$ . Therefore  $c_u + 2c_d = 30,000$ , which implies  $\frac{1}{3}c_u + \frac{2}{3}c_d = 10,000$ .

The value of the option is  $\frac{1}{3}(3) + \frac{2}{3}(0)$ , i.e., 1 Dollar.

**Question 6** The income offer curve is given by  $x_2/x_1 = 1/2$ , i.e.,  $x_1 = 2x_2$ . The utility of  $(20, 90)$  is  $u(20, 90) = 1,800$ . Thus,  $x_1x_2 = 1,800$ . Solving the two equations for  $x_1$  and  $x_2$  yields  $x_1 = 60$ ,  $x_2 = 30$ . The cost of this consumption is 120. **The person needs  $m = 120$ .**